

capture 4 measurements sequentially:  $m_{\tilde{g}}$   $m_{\pi/2}$   $m_{\pi}$   $m_{\tilde{g}_{\pi/2}}$ 

intensity phase



## $s(t) = \sin(\omega t + \theta) \quad 0, \pi/2, \pi, 3\pi/2$ Conventional Method

 $\left(m_{\frac{3\pi}{2}}-m_{\frac{\pi}{2}}\right)$  $A = \frac{1}{2}\sqrt{(m_0 - m_\pi)^2 + (m_{\frac{3\pi}{2}} - m_{\frac{\pi}{2}})^2}$  $\phi = \tan^{-1}$  $m_0\!-\!m_\pi$ • requires 4 images • susceptible to motion blur • slow

calculate amplitude and phase

## Off-axis Holography sensor  $E_o(x,y)e^{j\phi(x,y)}$ object wave  $e(t) = \sin \omega t$  $\overline{\phantom{0}}$  $\mathbf C$ camera signal  $obj$ e  $s(t) = \sin(\omega t + \theta)$ reference beam<br> $E_re^{-jkx\sin(\theta)}$  $s(t)r(t)dt = \frac{1}{2}cos(\theta - \phi)$ Snapshot Method (Proposed)  $s(t) = \sin(\omega t + i\theta)$   $kx$ define ToF hologram as  $\left[ \mathcal{I}(x,y) = A(x,y)e^{-j\phi} \right]$ measurement becomes:  $m_{kx} = \frac{A(x,y)}{2} \cos(kx - \phi(x,y))$  $=\frac{A(x,y)}{4}[e^{j(kx-\phi)}+e^{-j(kx-\phi)}]$  $\mathfrak{F}_{m_{kx}}(\omega_x,\omega_y)=\frac{1}{4}(\mathcal{I}(\omega_x-k,\omega_y)+\mathcal{I}^*(k-\omega_x,\omega_y)).$ shifted hologram shifted twin  $\delta$ =  $\longrightarrow$  $\longrightarrow$   $\longrightarrow$ take FFT of measurement, filter the twin, frequency shift to center • inspired by off-axis holography • embeds ToF hologram in Fourier space • 4x lower bandwidth







The authors thank Jeremy Klotz for his help with the hardware prototype. This research is partially supported by a Burke Research Initiation Award.

